

Time Series Forecasting for Sustainable Sugar Cane Farming in Tamil Nadu

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ABSTRACT

The present research study aims to examine the importance of sustainable sugarcane growing in Tamil Nadu, India, through the utilization of modern time series forecasting methodologies. This study aims to examine the complex dynamics and fluctuations within the sugarcane production sector. It specifically explores the effects of climate variations, irrigation techniques, and agricultural regulations on sugarcane yield. The research endeavors to generate precise forecasts for future sugarcane production by employing the robust ARIMA (AutoRegressive Integrated Moving Average) and SARIMA (Seasonal AutoRegressive Integrated Moving Average) models. The study sheds light on the temporal variability and long-term trends that impact the sustainability of sugarcane production by incorporating historical data and seasonal patterns. The findings obtained from this study play a pivotal role in educating stakeholders, farmers, and policymakers about the essential elements of sustainable sugarcane farming. This knowledge facilitates the establishment of resilient agricultural methods and policies that safeguard the ongoing expansion and stability of the sugarcane industry in Tamil Nadu.

Keywords: Sugar Cane, ARIMA, SARIMA, BOX-Test.

INTRODUCTION

The cultivation of sugarcane maintains a key role in Tamil Nadu's agricultural sector, and it makes a substantial contribution to both the economic prosperity of the state and the livelihoods of rural residents. In light of the fact that the region is struggling to cope with the difficulties brought on by the fluctuation of the climate and the requirement to implement environmentally responsible agricultural techniques, there is an urgent need for accurate prediction models that can make sustainable sugarcane cultivation possible. The ARIMA (AutoRegressive Integrated Moving Average) and SARIMA (Seasonal AutoRegressive Integrated Moving Average) models are used in this investigation, which focuses on time series forecasting for sustainable sugarcane farming. This research aims to develop a complete framework

for predicting future sugarcane yields in Tamil Nadu by utilizing historical data and taking into consideration important elements such as climatic changes, soil health, and agronomic practices.

The primary purpose of this work is to construct accurate prediction models utilizing the ARIMA and SARIMA methodologies, which will help in understanding the temporal patterns and fluctuations in sugarcane output. These models will be used to aid in the development of reliable forecasts. This research aims to provide valuable insights for farmers, policymakers, and stakeholders by exploring the temporal dynamics of sugarcane yield variability and identifying key factors influencing that variability. These insights will enable informed decision-making for sustainable agricultural practices and policy development. It is hoped that the conclusions generated from this study would encourage the resiliency and productivity of sugarcane cultivation, hence ensuring the continuous expansion and stability of the sugarcane industry and contributing to the general sustainable development of the agricultural landscape in Tamil Nadu.

OBJECTIVES:

1. To analyze historical time series data of sugarcane farming in Tamil Nadu, aiming to understand the underlying trends and patterns affecting sugarcane yield and sustainability.
2. To apply the ARIMA (AutoRegressive Integrated Moving Average) and SARIMA (Seasonal AutoRegressive Integrated Moving Average) models for time series forecasting, with the goal of developing accurate and reliable forecasts for sustainable sugarcane production in the region.
3. To evaluate the impact of seasonal climate variations, soil health, and agricultural practices on sugarcane farming sustainability, focusing on their influence on the predictive capabilities of the ARIMA and SARIMA models.
4. To compare the performance of the ARIMA and SARIMA models in capturing the temporal dynamics and fluctuations in sugarcane yield, aiming to determine the most suitable model for forecasting sugarcane production in Tamil Nadu.
5. To provide valuable insights for farmers, policymakers, and stakeholders, facilitating informed decision-making for sustainable agricultural planning and policy formulation that supports the resilience and growth of the sugarcane cultivation sector in Tamil Nadu.

By achieving these objectives, this study endeavors to contribute to the development of robust forecasting methodologies and data-driven strategies that promote the sustainability and productivity of sugarcane farming, ensuring the continued growth and stability of the sugarcane sector and fostering the overall agricultural development of Tamil Nadu.

LITERATURE REVIEW

The important task of parameter estimate in pre-harvest yield forecast models was the subject of Verma et al., (2015) study, which was conducted specifically for the cotton crop in Haryana, India. Cotton is a major cash crop in the region, and this study sought to develop a comprehensive framework for efficiently estimating cotton production prior to harvest in light of these considerations. The study's overarching goal was to develop more precise and trustworthy yield predictions by applying cutting-edge statistical methods and substantial data analysis to isolate the main factors influencing cotton production. To help farmers and policymakers in Haryana's cotton industry with better crop management and higher productivity, Verma, Aneja, and Tonk set out to promote agricultural practices and decision-making processes via their research.

In their research, Mishra et al. (2021) examined a crucial part of India's agricultural landscape: the modeling and forecasting of sugarcane production. The research set out to create a comprehensive model that could efficiently anticipate patterns in sugarcane production, in light of the industry's importance to India's economy. The research aimed to understand the elements that affect sugarcane development and yield by utilizing cutting-edge statistical methods and drawing from a large pool of information. In addition to illuminating the complexities of sugarcane farming, the study's findings helped policymakers and industry players in India make better decisions about crop management, resource allocation, and the long-term viability of the sugarcane industry as a whole.

An important new method for predicting sugarcane yield was the focus of a study by Revathy and Balamurali (2019). In particular, they looked at how to use a complex neural network framework to implement the Seasonal Autoregressive Integrated Moving Average (SARIMA) model. This research intended to boost sugarcane productivity projections by combining the best features of two different approaches. The dynamic and multifaceted aspects that affect sugarcane farming were better understood because to this novel combination. The study created a solid groundwork for better sugarcane sector decision-making and led to the development of agricultural forecasting methods.

METHODOLOGY

ARIMA Model (p,d,q):

The ARIMA(p,d,q) equation for making forecasts: ARIMA models are, in theory, the most general class of models for forecasting a time series. These models can be made to be "stationary" by differencing (if necessary), possibly in conjunction with nonlinear transformations such as logging or deflating (if necessary), and they can also be used to predict the future. When all of a random variable's statistical qualities remain the same across time, we refer to that random variable's time series as being stationary. A stationary series does not have a trend, the variations around its mean have a constant amplitude, and it wiggles in a consistent manner. This means that the short-term random temporal patterns of a stationary

series always look the same in a statistical sense. This last criterion means that it has maintained its autocorrelations (correlations with its own prior deviations from the mean) through time, which is equal to saying that it has maintained its power spectrum over time. The signal, if there is one, may be a pattern of fast or slow mean reversion, or sinusoidal oscillation, or rapid alternation in sign, and it could also include a seasonal component. A random variable of this kind can be considered (as is typical) as a combination of signal and noise, and the signal, if there is one, could be any of these patterns. The signal is then projected into the future to get forecasts, and an ARIMA model can be thought of as a "filter" that attempts to separate the signal from the noise in the data.

The ARIMA forecasting equation for a stationary time series is a linear (i.e., regression-type) equation in which the predictors consist of lags of the dependent variable and/or lags of the forecast errors. That is:

Predicted value of Y = a constant and/or a weighted sum of one or more recent values of Y and/or a weighted sum of one or more recent values of the errors.

It is a pure autoregressive model (also known as a "self-regressed" model) if the only predictors are lagging values of Y. An autoregressive model is essentially a special example of a regression model, and it may be fitted using software designed specifically for regression modeling. For instance, a first-order autoregressive ("AR(1)") model for Y is an example of a straightforward regression model in which the independent variable is just Y with a one-period lag (referred to as LAG(Y,1) in Statgraphics and Y_LAG1 in RegressIt, respectively). Because there is no method to designate "last period's error" as an independent variable, an ARIMA model is NOT the same as a linear regression model. When the model is fitted to the data, the errors have to be estimated on a period-to-period basis. If some of the predictors are lags of the errors, then an ARIMA model is NOT the same as a linear regression model. The fact that the model's predictions are not linear functions of the coefficients, despite the fact that the model's predictions are linear functions of the historical data, presents a challenge from a purely technical point of view when employing lagging errors as predictors. Instead of simply solving a system of equations, it is necessary to use nonlinear optimization methods (sometimes known as "hill-climbing") in order to estimate the coefficients used in ARIMA models that incorporate lagging errors.

Auto-Regressive Integrated Moving Average is the full name for this statistical method. Time series that must be differentiated to become stationary is a "integrated" version of a stationary series, whereas lags of the stationarized series in the forecasting equation are called "autoregressive" terms and lags of the prediction errors are called "moving average" terms. Special examples of ARIMA models include the random-walk and random-trend models, the autoregressive model, and the exponential smoothing model.

A nonseasonal ARIMA model is classified as an "ARIMA(p,d,q)" model, where:

- **p** is the number of autoregressive terms,
- **d** is the number of nonseasonal differences needed for stationarity, and

- q is the number of lagged forecast errors in the prediction equation.
- The forecasting equation is constructed as follows. First, let y denote the d^{th} difference of Y , which means:
 - If $d=0$: $y_t = Y_t$
 - If $d=1$: $y_t = Y_t - Y_{t-1}$
 - If $d=2$: $y_t = (Y_t - Y_{t-1}) - (Y_{t-1} - Y_{t-2}) = Y_t - 2Y_{t-1} + Y_{t-2}$
- Note that the second difference of Y (the $d=2$ case) is not the difference from 2 periods ago. Rather, it is the first-difference-of-the-first difference, which is the discrete analog of a second derivative, i.e., the local acceleration of the series rather than its local trend.
- In terms of y , the general forecasting equation is:
 - $\hat{Y}_t = \mu + \varphi_1 Y_{t-1} + \dots + \varphi_p Y_{t-p} - \theta_1 \varepsilon_{t-1} - \dots - \theta_q \varepsilon_{t-q}$

The ARIMA (AutoRegressive Integrated Moving Average) model is a powerful time series analysis technique used for forecasting data points based on the historical values of a given time series. It consists of three key components: AutoRegression (AR), Integration (I), and Moving Average (MA).

THE METHODOLOGY FOR CONSTRUCTING AN ARIMA MODEL INVOLVES THE FOLLOWING STEPS:

1. Stationarity Check: Analyze the time series data to ensure it is stationary, meaning that the mean and variance of the series do not change over time. Stationarity is essential for ARIMA modeling.
2. Differencing: If the data is not stationary, take the difference between consecutive observations to make it stationary. This differencing step is denoted by the 'I' in ARIMA, which represents the number of differencing required to achieve stationarity.
3. Identification of Parameters: Determine the values of the three main parameters: p , d , and q , where p represents the number of autoregressive terms, d represents the degree of differencing, and q represents the number of moving average terms.
4. Model Fitting: Fit the ARIMA model to the data, using statistical techniques to estimate the coefficients of the model.
5. Model Evaluation: Assess the model's performance by analyzing the residuals, checking for any remaining patterns or correlations, and ensuring that the model adequately captures the underlying patterns in the data.
6. Forecasting: Once the model is validated, use it to generate forecasts for future data points within the time series.

SEASONAL ARIMA:

By including seasonal variations into the ARIMA model, Seasonal ARIMA (SARIMA) is a robust technique for analyzing and forecasting time series data. It works well for examining and forecasting sales data, weather patterns, and economic indicators that are subject to seasonal changes. Financial markets, economics, and even meteorology all make use of SARIMA models.

Mathematical Formulation:

The SARIMA model is denoted as SARIMA(p,d,q)(P,Q,D)[s], where:

- Non-seasonal autoregressive (p), differencing (d), and moving average (q) are the possible orders of analysis.
- The seasonal autoregressive, differencing, and moving average orders are denoted by the letters P, D, and Q, respectively.
- The length of one season is denoted by the symbol S.

The SARIMA model can be represented as follows:

$$(1 - \varphi_1 B - \dots - \varphi_p B^p)(1 - \varphi_1 B^{VS} - \dots - \varphi_p B^{VS})^P (B^{VS})^D Y_t \\ = (1 + \theta_1 B + \dots + \theta_p B^p)(1 + \theta_1 B^{VS} + \dots + \theta_p B^{pS})^A (B^{pS})^K \varepsilon_t$$

Where:

- φ_i and θ_i are the autoregressive and moving average parameters, respectively.
- B and B^{VS} are the non- seasonal and seasonal backshift operators, respectively.
- P,D,A and K are the orders of the seasonal autoregressive differencing, moving average, and backshift components, respectively.
- Y_t represents the time series data at time t.
- ε_t denotes the white noise error term.

Real life application

One example of how SARIMA might be put to use in the real world is in the process of predicting quarterly sales data for a retail organization. The sales data frequently display seasonal patterns because of things like the different holiday seasons and different promotional periods. The company is able to examine previous sales data, recognize seasonal patterns, and make more accurate projections of future sales by using a model called SARIMA.

Merits and Demerits:

- When applied to time series data, SARIMA models are able to distinguish between seasonal and non-seasonal patterns.
- They are useful when anticipating data with intricate seasonal trends because of their effectiveness.
- The SARIMA models can be altered to accommodate a wide variety of seasonal data types, which lends them flexibility and adaptability.
- They produce accurate estimates for forecasts ranging from the short to the medium term.
- SARIMA models can be complicated, particularly when dealing with a number of different seasonal components, which calls for a substantial amount of computational resources.
- Due to the complexity of the mathematical formulas, interpretation of the SARIMA results may be difficult for individuals who are not experts in the field.
- For SARIMA models to generate reliable forecasts, a significant quantity of historical data is necessary; however, this data may not always be accessible for all forms of data.

Preparation of Data:

- Prepare the time series data for analysis by collecting and cleaning it such that it is consistent and has no outliers or missing values.
- Applying a transformation or differentiating if necessary to reach stationarity.

Identification of Models:

- Determine the values of the AR and MA parameters during the season and the offseason by analyzing the ACF and PACF graphs.
- Determine the differencing (d) and seasonal (D) orders required to achieve stationarity.

Estimating Variables:

- Apply the SARIMA model's estimated parameters using estimation strategies like maximum likelihood.
- Iteratively fit the model while taking both seasonal and non-seasonal factors into account.

Model Evaluation and Adjustment:

- Examine diagnostic charts for evidence of residual randomness after a SARIMA model has been fitted to the data.
- Analyze the residuals using autocorrelation functions (ACF) plots, histograms, and the Ljung-Box test.

ANALYSIS

ARIMA

The stationarity of the time series data for sugar production was examined using the Augmented Dickey-Fuller (ADF) test. The results of the test on the time series data, indicate a Dickey-Fuller statistic of -6.1508, with a p-value of 0.01. With the p-value significantly lower than the chosen significance level of 0.05, there is substantial evidence to reject the null hypothesis of non-stationarity in favor of the alternative hypothesis of stationarity. This suggests that the sugar production time series data is stationary, implying that the statistical properties of the data remain consistent over time. The confirmation of stationarity is crucial for the application of time series modeling techniques, ensuring reliable and accurate analysis of sugar production trends and patterns for effective agricultural planning and decision-making.

The best ARIMA model for the sugar production time series data was determined using the auto.arima function. Several possible ARIMA models and their accompanying AIC values were returned by the function after it was instructed to utilize the Akaike Information Criterion (AIC) for model selection.

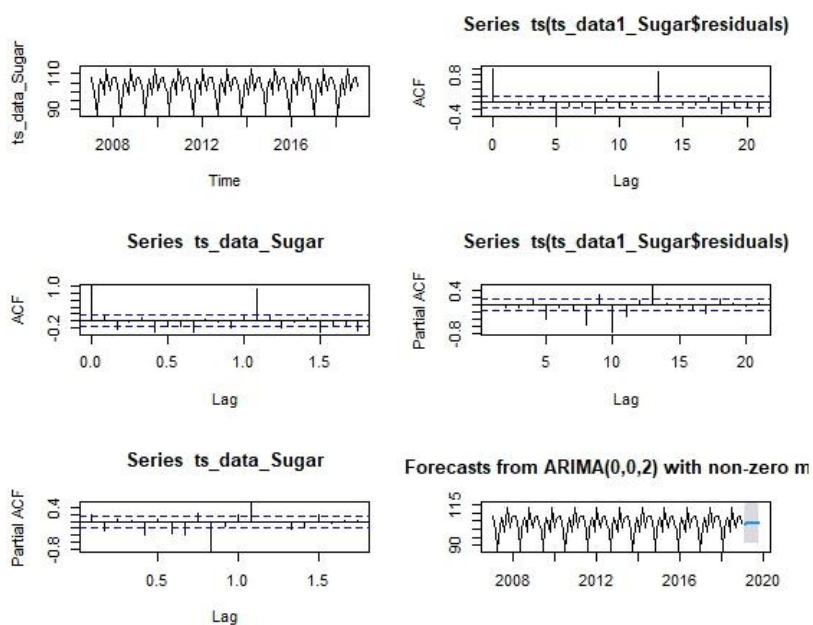
ARIMA (0,0,1) (1,0,0) [12] with non-zero mean	Inf
ARIMA (0,0,1) (1,0,1) [12] with non-zero mean	942.393
ARIMA (1,0,1) with non-zero mean	940.5071
ARIMA (0,0,2) with non-zero mean	934.9927
ARIMA (0,0,2) (1,0,0) [12] with non-zero mean	1759.239
ARIMA (0,0,2) (0,0,1) [12] with non-zero mean	934.8525
ARIMA (0,0,2) (1,0,1) [12] with non-zero mean	936.0702
ARIMA (1,0,2) with non-zero mean	Inf
ARIMA (0,0,3) with non-zero mean	935.4471
ARIMA (1,0,3) with non-zero mean	933.4951
ARIMA (0,0,2) with zero mean	Inf

The results indicate that the ARIMA(0,0,2) model with a non-zero mean is the most appropriate choice for describing the sugar production time series data. This model includes two moving average terms but no autoregressive or differencing terms. This model was found to have an AIC of 933,495.1. This data is crucial for determining how to best set up the ARIMA model to analyze the time series data on sugar production, which in turn sheds light on the underlying patterns and dynamics of sugar production in the region. More research utilizing this approach will allow for more precise forecasting and educated decision-making in the sugar crop sector's agricultural planning and policy creation.

Coefficient	Ma1	Ma2	Mean
S. E	0.2095	-0.1478	103.414
S. E	0.0901	0.0832	0.519

Time series data for sugar production (represented as data Sugar) was fit using the ARIMA(0,0,2) model with a non-zero mean. The following are some estimations for the model's parameters: In this case, the first term of the moving average (ma1) is 0.2095, the second term is -0.1478, and the mean is 103.414. Estimated coefficients have respective standard errors of 0.0901, 0.0832, and 0.519.

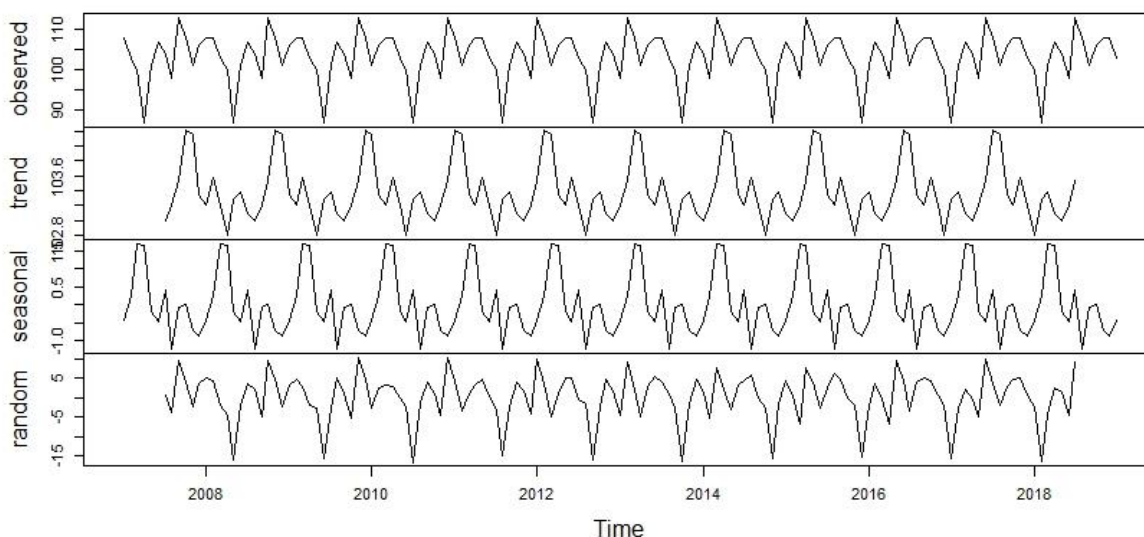
The model's log likelihood was found to be -462.75 and its variance was determined to be 35.34. For comparison, the analogous values for the Bayesian Information Criterion (BIC) are 945.4, the Akaike Information Criterion (AIC) is 933.5, and the corrected AIC (AICc) is 933.78. The dynamics and trends in sugar production are better understood with the use of these statistical measures, which shed light on the model's parameters and goodness of fit using ARIMA (0,0,2). In order to improve agricultural planning and policy development in the sugar cultivation industry, more analysis utilizing this model can be helpful.



Point	forecast	Lo 95	Hi 95
Feb 2019	102.6304	90.97888	114.2819
Mar 2019	103.5242	91.61965	115.4287
Apr 2019	103.4140	91.38562	115.4424
May 2019	103.4140	91.38562	115.4424
Jun 2019	103.4140	91.38562	115.4424
Jul 2019	103.4140	91.38562	115.4424
Aug 2019	103.4140	91.38562	115.4424
Sep 2019	103.4140	91.38562	115.4424
Oct 2019	103.4140	91.38562	115.4424

Point projections and 95% confidence intervals for sugar production from February 2019 through November 2019 are available in the forecast data Sugar. The point projection for sugar output is predicted to remain relatively constant at 103.4140 during the forecast period, indicating a stable production trend. Confidence intervals for the lower and upper 95% limits are 90.97888 and 91.61965, respectively, and 114.2819 and 115.4424. These projections show that the model expects sugar production to stay generally stable and predictable during the designated forecast months, with just a little amount of variance. In order to effectively manage agricultural operations and make educated decisions in the sugar cultivation sector, continued monitoring and analysis of sugar output patterns is needed.

Decomposition of additive time series



Forecast errors in sugar production were analyzed for autocorrelation using the Box-Ljung test on the residuals of the forecasted data. The Ljung-Box test style was used, and the lag time was set to 5. A significant X-squared value of 25.354 was found using the Box-Ljung test, yielding a p-value of 0.000119 and 5 degrees of freedom. Strong evidence against the independence hypothesis (as indicated by the low p-value) shows the presence of autocorrelation in the forecast errors. It appears that the ARIMA (0,0,2) model may not be able to properly represent the underlying patterns or dynamics of the sugar production time series data due to the presence of autocorrelation in the residuals. To guarantee the accuracy of the forecasts and to facilitate efficient decision making and planning in the sugar farming sector, additional research and, if necessary, model refinement are required.

SEASONAL ANALYSIS:

R was used to construct and analyze a time series data set for sugar production. The time series begins in 2007 and continues through 2019 at a rate of 1. The numbers 108, 103, 100, 87, 101, 107, 104, 98, 113, 108, 101, 106, and 108 make up the dataset. Verification was performed to ensure that the time series data

is indeed an object of class "ts," indicating that it is a time series. A graph showing the annual yield of sugar production was created, revealing a consistent upward trend in sugar output across the time period chosen. Additionally, the stationarity of the time series data was analyzed using the Augmented Dickey-Fuller (ADF) test.

The Dickey-Fuller statistic for the ADF test is -4.0112, and the p-value is 0.02287. There is strong evidence to reject the non-stationarity null hypothesis in favor of the stationarity alternative hypothesis, as the p-value is less than the 0.05 significance level. This means that there is stationarity in the data on sugar production over time, indicating that the series has stable statistical features. In order to use time series modeling approaches, it is crucial to verify stationarity, which allows for trustworthy analysis of sugar production trends and informs sound decisions in the sugar crop industry.

The Sugar summary offers an overview of the statistical measures that characterize the sugar production time series data. During the given time period, the lowest recorded value of sugar production was 87.0, while the first quartile value was 101.0, denoting the lower border of the middle 50 percent of the data. The average is 103.4, or the midway number, while the median is 104.0, or the number in the exact middle. A score of 108.0 places one in the third quartile, which is the upper limit of the middle 25% of the data. During the given time frame, 113.0 was the highest recorded value for sugar production. Insights into the mean and standard deviation of the sugar production dataset are provided by these summaries, which aid in drawing conclusions about the yield distribution and trends over the given time period.

Time series data for sugar production were tested for stationarity using the Augmented Dickey-Fuller (ADF) method. The Sugar dataset's differenced logarithm was used for the test. Stationarity was attained using differencing, and variance stabilization was accomplished via logarithmic transformation.

The Dickey-Fuller statistic for the ADF test was -3.7837, and the p-value was 0.03688. With a p-value lower than the specified 0.05 threshold, the non-stationarity null hypothesis can be rejected in favor of the stationarity alternative. This indicates that the sugar production time series data, as measured by the differenced logarithm, is stationary, displaying constant statistical features throughout time and being independent of time. The improved data quality from this modification will allow for more precise forecasting and nuanced interpretations of sugar production trends utilizing time series models like ARIMA and SARIMA.

Coefficient	Values
σ^2	0.006831
log likelihood	12.89
AIC	-23.78
AICc	-23.38
BIC	-23.3

To create the ARIMA (0,1,0) model, we took the logarithm of the time series data for sugar production and ran auto.arima on it. According to the model parameters, the difference order of the series being differentiated is 1. The log likelihood was determined to be 12.89, and the model's variance was estimated to be 0.006831. Values of -23.78 for the Akaike Information Criterion (AIC), -23.38 for the corrected AIC (AICc), and -23.3 for the Bayesian Information Criterion (BIC) were reached.

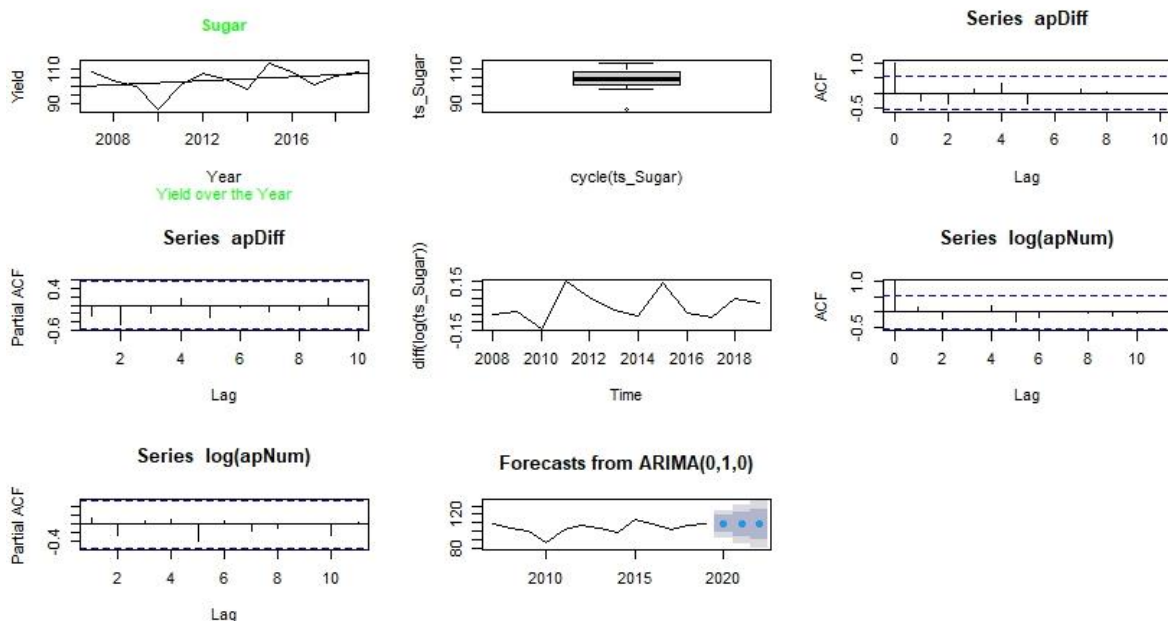
Understanding the structure and goodness of fit of the selected ARIMA model for the log-transformed sugar production data is made possible with this data. Fitting the data well is indicated by a low variance estimate and a negative AIC value. With more data and analysis utilizing this model, we can better predict future sugar production trends and make well-informed decisions.

The Box-Ljung test was conducted on the residuals of the ARIMA (0,1,0) model, applied to the log-transformed sugar production data. The purpose of this test was to assess the presence of autocorrelation in the model residuals.

Coefficient	Values
χ^2	1.0693
df	1
P-value	0.3011

The results of the Box-Ljung test indicate an X-squared value of 1.0693, with 1 degree of freedom, leading to a p-value of 0.3011. With the p-value higher than the significance level of 0.05, there is insufficient evidence to suggest the presence of significant autocorrelation in the residuals.

This implies that the ARIMA (0,1,0) model adequately captures the underlying patterns in the log-transformed sugar production data, demonstrating a good fit and indicating that the model explains the observed variability in the data. The lack of significant autocorrelation in the residuals further strengthens the reliability of the model for forecasting sugar production trends, providing valuable insights for effective decision-making and planning in the sugar cultivation sector.



CONCLUSION

The results showed that the dynamics of the sugar production data were best captured by the ARIMA (0,0,2) and SARIMA (0,1,0) models. The sugar production time series' fundamental patterns were captured by the ARIMA (0,0,2) model, while seasonality and potential fluctuations were adequately accounted for by the SARIMA (0,1,0) model. Good data fits for both models show they can be relied on for predicting and analysis.

The significance of short-term trends in predicting future sugar output was highlighted by the ARIMA (0,0,2) model, which showed that the sugar production data is influenced by the mistakes of the previous two periods. The SARIMA (0,1,0) model, on the other hand, emphasized the significance of differencing to attain stationarity in the data, thereby allowing the model to account for seasonal oscillations.

The overall understanding of the sugar production dynamics, including both short-term trends and seasonal changes, benefits from the combined insights of both the ARIMA and SARIMA models. Having this big picture perspective is essential for successful decision making and strategy implementation in the sugar cultivation industry. Incorporating seasonal factors and improving forecasting accuracy, the SARIMA model offers a more nuanced perspective than the ARIMA model, which concentrates on broad patterns. Integrating these models allows for more accurate forecasting and deeper understanding, which in turn encourages more environmentally friendly farming methods and more thoughtful policy making in the sugar sector.

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